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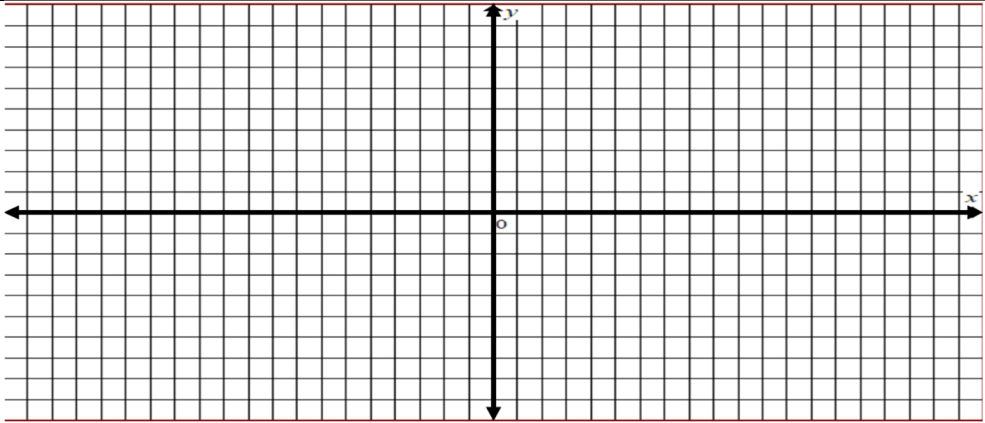
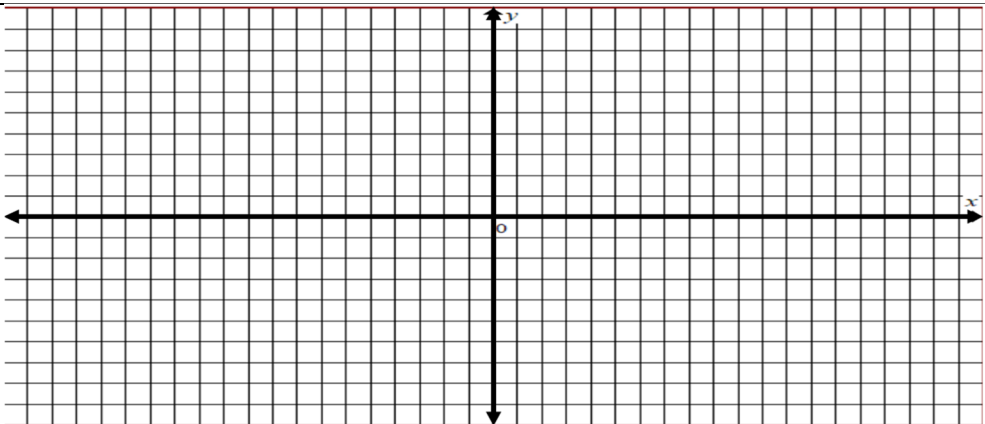
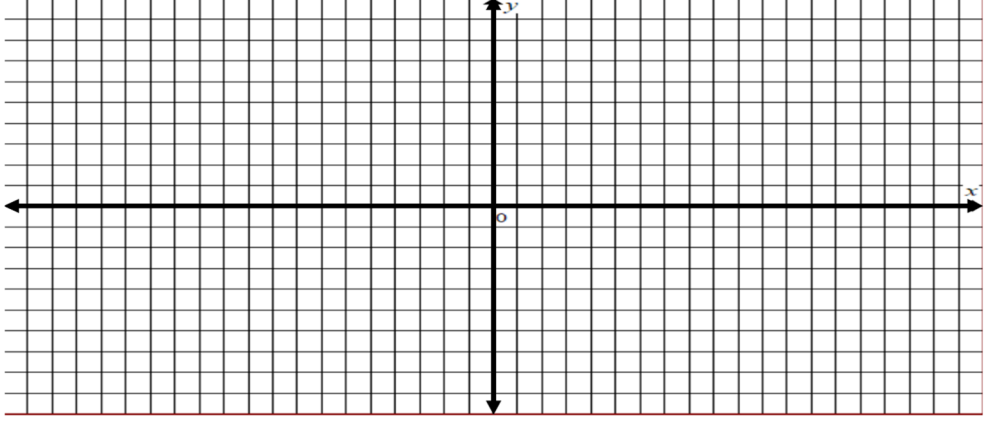
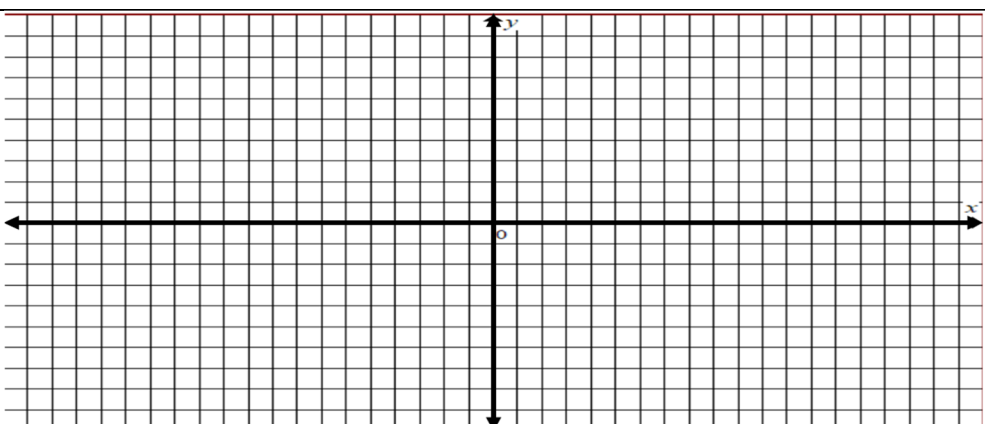
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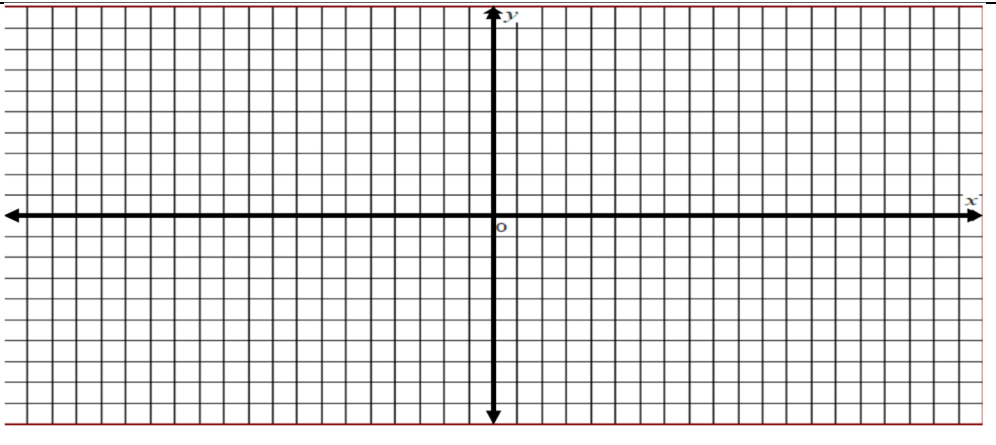
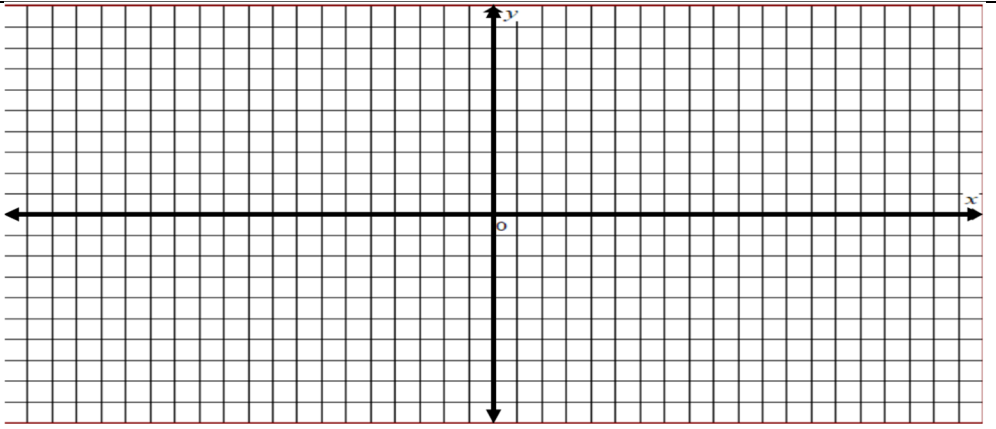
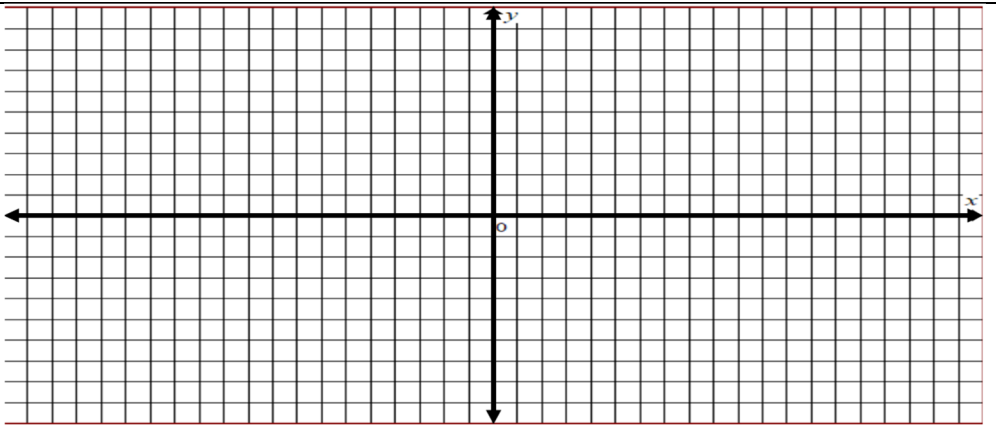
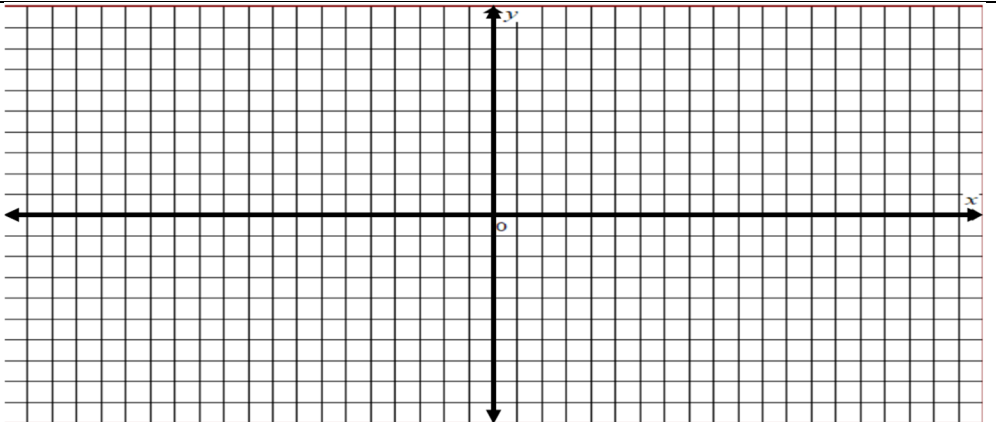
**M12P HW Section 5.2 Graphing Sine and Cosine Function With Transformations**

$$y = A\sin(x - C) + D \quad \text{and} \quad y = A\cos(x - C) + D$$

1. How does the constant "A" transform the trigonometric functions above? Explain:
2. How does the constant "C" transform the trigonometric functions above? Explain:
3. How does the constant "D" transform the trigonometric functions above? Explain:
4. What is the range of a sine or cosine function in terms of "A", "C", and "D"? Explain:
5. What is the value of "B" in the function  $y = A\sin B(x - C) + D$  for  $y = 4\sin(x - 2) + 3$ ? How does the constant "B" transform the sine function? Explain:
6. Does the function  $y = 3\sin(x - 4) + 5$  have any X-intercepts? Explain:
7. How would you tell if a sine or cosine function has any X-intercepts by looking at their equations? Explain:
8. What are the x-intercepts of the function:  $y = 3\sin\left(x - \frac{\pi}{3}\right) + 2$ . Provide a general formula for all the X-intercepts.

9. For each of the following equations, find the constants "A" , "C" and "D". Then indicate the transformations involved. State the period, amplitude, domain, and range: Graph the function.

$y = 3\sin\left(\theta - \frac{\pi}{4}\right) + 0.5$ A:                      Amplitude C: D: Period : Domain :              Range :	
$y = 2\cos\left(\theta - \frac{2\pi}{3}\right) + 3$ A:                      Amplitude C: D: Period : Domain :              Range :	
$y = -4\sin\left(\theta + \frac{\pi}{4}\right) + 2$ A:                      Amplitude C: D: Period : Domain :              Range :	
$y = 5\cos\left(\theta + \frac{\pi}{5}\right) - 2$ A:                      Amplitude C: D: Period : Domain :              Range :	

$y = 8\sin\left(\theta - \frac{\pi}{6}\right) + 4$ A:                      Amplitude  C:  D:  Period :  Domain :              Range :	
$y = -5\cos\left(\theta - \frac{\pi}{3}\right) - 2$ A:                      Amplitude  C:  D:  Period :  Domain :              Range :	
$y = -6\sin\left(\theta + \frac{\pi}{5}\right) - 1$ A:                      Amplitude  C:  D:  Period :  Domain :              Range :	
$y = 4.5\cos\left(\theta + \frac{\pi}{7}\right) - 3$ A:                      Amplitude  C:  D:  Period :  Domain :              Range :	

10. When setting the increments on the X-axis for graphing a trigonometric function, how do we determine the value of 1 increment on the grid? I.e: Suppose we are given the equation  $y = A \sin\left(\theta - \frac{\pi}{3}\right) + D$ , where the period is  $2\pi$  and there is a shift of  $\frac{\pi}{3}$  to the right. How do we determine the value of one increment? Explain:
11. What if we are given the equation  $y = A \sin\left(\theta - \frac{\pi}{7}\right) + D$ , where the period is  $2\pi$  and there is a shift of  $\frac{\pi}{7}$  to the right. How do we determine the value of one increment? Explain:
12. In order for the function  $y = a \sin(\theta - c) + d$  to have an x-intercept, which of the following must be true?  
 i)  $a < d$     ii)  $a + d = 1$     iii)  $c < d$     iv)  $d > a$     v)  $a - d = 0$
13. Find the equation of a function in the form of  $y = a \sin(x - b) + d$  with a maximum value of 3 when  $x=0$  and a minimum of -2.
14. Find the amplitude and phase shift of the following function:  $y = \sin^3 \theta + \sin \theta \cos^2 \theta$
15. Find the equation of a function in the form of  $y = a \cos b(x - c) + d$  with the following:
- Maximum at 8, minimum at -2, phase shift of  $\frac{\pi}{2}$  units to the right
  - Maximum point  $\left(\frac{\pi}{3}, 10\right)$  next minimum point  $\left(\frac{4\pi}{3}, 4\right)$